

Andrei Zaitsev & Pavel Zarubin "The search for unstable a-particle states in fragmentation of relativistic medium and heavy nuclei"



V.I. Veksler and A.M. Baldin Laboratory of High Energy Physics Joint Institute for Nuclear Research, Dubna



Currently, a research focus is on the theoretical concept of α -particle Bose-Einstein condensate (α BEC) - the ultra cold state of several S-wave α -particles near coupling thresholds. The unstable ⁸Be nucleus is described as 2 α BEC, and the ¹²C(0⁺₂) excitation or Hoyle state (HS) as 3 α BEC. Decays ⁸Be $\rightarrow 2\alpha$ and ¹²C(0⁺₂) \rightarrow ⁸Be α can serve as signatures for more complex α BEC decays. Thus, the 0⁺₆ state of the ¹⁶O nucleus at 660 keV above the 4 α threshold, considered as 4 α BEC, can sequentially decay ¹⁶O(0⁺₆) $\rightarrow \alpha$ ¹²C(0⁺₂) or ¹⁶O(0⁺₆) $\rightarrow 2$ ⁸Be(0⁺). Its search is being carried out in several experiments on fragmentation of light nuclei at low energies. Confirmation of the existence of this and more complex forms of α BEC could provide a basis for expanding scenarios for the synthesis of medium and heavy nuclei in nuclear astrophysics.

28Si at 3.65 GeV per nucleon





BNL AGS 90s Au



10 GeV per nucleon





The invariant mass approach has been used to identify ⁸Be and HS and search for more complex states of α BEC in fragmentation of medium and heavy nuclei. Recently, based on the statistics of dozens of ⁸Be decays, an enhancement in probability of detecting ⁸Be in an event with an increase in number of relativistic α -particles was found. A preliminary conclusion is drawn that contributions of ⁹B and HS decays also increase. The exotically large sizes and lifetimes of ⁸Be and HS allowing suggesting possibility of synthesizing α BEC by successively connecting the emerging α -particles. Eur. Phys. J. A (2020) 56:250 https://doi.org/10.1140/epja/s10050-020-00252-3 THE EUROPEAN PHYSICAL JOURNAL A



Regular Article - Experimental Physics

Unstable states in dissociation of relativistic nuclei

Recent findings and prospects of research

D. A. Artemenkov¹, V. Bradnova¹, M. M. Chernyavsky², E. Firu³, M. Haiduc³, N. K. Kornegrutsa¹, A. I. Malakhov¹, E. Mitsova¹, A. Neagu³, N. G. Peresadko², V. V. Rusakova¹, R. Stanoeva⁴, A. A. Zaitsev^{1,2}, P. I. Zarubin^{1,2}, ^a, I. G. Zarubina¹

¹ Joint Institute for Nuclear Research, Dubna, Russia

² Lebedev Physical Institute, Russian Academy of Sciences, Moscow, Russia

³ Institute of Space Science, Magurele, Romania

⁴ Southwestern University, Blagoevgrad, Bulgaria



In general, energy of a few-particle system Q is $Q = M^* - M$. M^* is the invariant mass defined by the sum of all products of 4-momenta $P_{i,k}$ fragments $M^{*2} = \sum (P_i \cdot P_k)$. Subtraction of mass M is a matter of convenience. The 4-momenta $P_{i,k}$ are determined in the approximation of conservation of the initial momentum per nucleon. Then, the definition of Q comes down to determining the angles between the fragment emission directions.



Invariant-mass distributions [7]: (a) $Q_{2\alpha}$ in ${}^{9}Be(1.2 \text{ GeV/nucleon}) \rightarrow 2\alpha$ (dotted curve) and white stars (solid curve); (b) $Q_{2\alpha}$ in ${}^{12}C(3.65 \text{ GeV/nucleon}) \rightarrow 3\alpha$ (solid curve) and ${}^{16}O(3.65 \text{ GeV/nucleon}) \rightarrow 4\alpha$ (dashed curve); (c) $Q_{2\alpha p}$ (<1 MeV) in ${}^{10}C(1.2 \text{ GeV/nucleon}) \rightarrow 2\alpha 2p$ (solid curve), ${}^{11}C(1.2 \text{ GeV/nucleon}) \rightarrow 2\alpha 2p$ (dotted curve), and ${}^{10}B(1 \text{ GeV/nucleon}) \rightarrow 2\alpha p$ (dashed curve); and (d) $Q_{3\alpha}$ in ${}^{12}C(3.65 \text{ GeV/nucleon}) \rightarrow 3\alpha$ (solid curve) and ${}^{16}O(3.65 \text{ GeV/nucleon}) \rightarrow 2\alpha p$ (dashed curve); and (d) $Q_{3\alpha}$ in ${}^{12}C(3.65 \text{ GeV/nucleon}) \rightarrow 3\alpha$ (solid curve) and ${}^{16}O(3.65 \text{ GeV/nucleon}) \rightarrow 4\alpha$ (dashed curve).

Fig. 7 Distributions of 2α , $2\alpha p$, 3α and 4α combinations from events of fragmentation of 28 Si nuclei at 14.6 *A* GeV over the invariant masses $Q_{2\alpha}$ (**a**), $Q_{2\alpha p}$ (**b**), $Q_{3\alpha}$ (**c**) and $Q_{4\alpha}$ (**d**) in the their small value regions, according to data for the case without sampling (points) and recent measurements in accelerated search (added by solid line)



Fig. 8 Distributions of 2α , $2\alpha p$, 3α and 4α combinations from events of fragmentation of ¹⁹⁷Au nuclei at 10.7 *A* GeV over the invariant masses $Q_{2\alpha}$ (**a**), $Q_{2\alpha p}$ (**b**), $Q_{3\alpha}$ (**c**) and $Q_{4\alpha}$ (**d**) in the their small value regions





Correlation in formation of ⁸Be nuclei and α -particles in fragmentation of relativistic nuclei



A.A. Zaitsev^{a,b,*}, D.A. Artemenkov^a, V.V. Glagolev^a, M.M. Chernyavsky^b, N.G. Peresadko^b, V.V. Rusakova^a, P.I. Zarubin^{a,b}

^a Joint Institute for Nuclear Research, Dubna 141980, Russia

^b Lebedev Physical Institute, Russian Academy of Sciences, Moscow 119991, Russia

ABSTRACT

In the events of peripheral dissociation of relativistic nuclei in the nuclear track emulsion, it is possible to study the emerging ensembles of He and H nuclei, including those from decays of unstable ⁸Be and ⁹B nuclei, as well as the Hoyle state. These extremely short-lived states are identified by invariant masses calculated from the angles in 2α -pairs, $2\alpha p$ - and 3α -triplets in the approximation of conservation of momentum per nucleon of the primary nucleus. In the same approach, it is possible to search for more complex states. This paper explores the correlation between the formation of ⁸Be nuclei and the multiplicity of accompanying α -particles in the dissociation of relativistic ¹⁶O, ²²Ne, ²⁸Si, and ¹⁹⁷Au nuclei. On the above basis, estimates of this correlation are presented for the unstable ⁹B nucleus and the Hoyle state. The enhancement in the ⁸Be contribution to dissociation with the α -particle multiplicity has been found. Decays of ⁹B nuclei and Hoyle states follow the same trend.

nα	3.65 GeV/nucleon $N_{n\alpha}(^{8}\text{Be})/N_{n\alpha}$ (%)	15 GeV/nucleon N _{nα} (⁸ Be)/N _{nα} (%)	60 GeV/nucleon N _{nα} (⁸ Be)/N _{nα} (%)	200 GeV/nucleon $N_{n\alpha}(^{8}\text{Be})/N_{n\alpha}$ (%)	All $N_{nlpha}(^{8}\mathrm{Be})/N_{nlpha}$ (%)
2	$32/390~(8\pm2)$	$6/95~(6\pm3)$	$9/97~(9\pm3)$	$3/56(5 \pm 3)$	50/638 (8 ± 1)
3	$40/176~(23~\pm~4)$	13/51 (26 ± 8)	$12/64~(19~\pm~6)$	8/29 (28 ± 11)	73/320 (23 ± 3)
4	13/28 (46 ± 15)	1/4 (25)	2/2 (100)	0/1 (0)	$16/35~(46~\pm~14)$

Statistics $N_{n\alpha}(^{8}\text{Be})$ among n_{α} events of ¹⁶O dissociation; percentage of $N_{n\alpha}(^{8}\text{Be})$ among $N_{n\alpha}$ is indicated.



Fig. 1. Distribution of 2α -pairs $N_{(2\alpha)}$ over invariant mass $Q_{2\alpha}$ (≤ 1 MeV) in fragmentation of 3.65 GeV/nucleon ¹⁶O nuclei (solid line); data for 15 (long dotted line), 60 (dotted line) and 200 (short-dotted line) GeV/nucleon ¹⁶O are added sequentially.

Statistics of events $N_{n\alpha}({}^{8}\text{Be})$ among $N_{n\alpha}$ events in dissociation of ${}^{22}\text{Ne}$ and ${}^{28}\text{Si}$ nuclei; the percentage of $N_{n\alpha}({}^{8}\text{Be})$ among $N_{n\alpha}$ is indicated.



Fig. 4. Distribution of 2α -pairs $N_{(2\alpha)}$ over invariant mass $Q_{2\alpha}$ (≤ 1 MeV) in fragmentation of 3.22 GeV/nucleon ²²Ne (solid line) and 14.6 GeV/nucleon ²⁸Si nuclei (added by the dotted line).

	-							
	¹⁶ 0	¹⁶ 0	²² Ne	²² Ne	²⁸ Si	²⁸ Si		
30	N _{nαmp}	$\frac{N_{n\alpha mp}({}^{9}B)}{N_{n\alpha mp}({}^{8}Be)} \ (\%)$	N _{nαmp}	$\frac{N_{n\alpha mp}({}^{9}B)}{N_{n\alpha mp}({}^{8}Be)} $ (%)	N _{nαmp}	$\frac{N_{n\alpha mp}({}^{9}B)}{N_{n\alpha mp}({}^{8}Be)}$ (%)		
50	338 2 α + (1-4) p	9/26 (35 ± 14)	429 2 α + (1-6) p	8/25 (32 ± 13)	184 2 α + mp	$2/8~(25~\pm~20)$		
	131 3 α + (1,2) p	12/31 (39 ± 13)	203 3 α + (1-4) p	8/39 (21 ± 8)	320 3 α + mp	$8/47~(17~\pm~7)$		
	-	-	58 4 α + (1,2) p	5/20 (25 ± 12)	168 4 α + mp	$9/55~(16~\pm~6)$		
20	-	-	-	-	62 5 α + mp	3/24 (13 ± 8)		
	-	-	-	-	7 6 α + mp	0/5		
$10 + H = 1 + H = 0/5$ $10 + H = 1 + H = 0/5$ $10 + H = 1 + H = 0/5$ $10 + H = 1 + H = 0/5$ $10 + H = 0/5$ $0 - 0.2 + 0.4 + 0.6 + 0.8 + 1 + 1.2 + 1.4 + 1.6 + 1.8 + 2$ $Q_{2\alpha p}, \text{ MeV}$								

40 **r**

Statistics of $N_{n\alpha mp}({}^{9}\text{B})$ and $N_{n\alpha mp}({}^{8}\text{Be})$ decays in the fragmentation channels $N_{n\alpha mp}({}^{8}\text{Be})$ of ${}^{16}\text{O}$, ${}^{22}\text{Ne}$ and ${}^{28}\text{Si}$ nuclei with a multiplicity of α -particles n_{α} and protons m_{p} .

Fig. 2. Distribution of $2\alpha p$ triples $N_{(2\alpha p)}({}^{8}\text{Be})$ over invariant mass $Q_{2\alpha p} \leq 2$ MeV in 3.65 GeV/nucleon ${}^{16}\text{O}$ (shaded), 3.22 GeV/nucleon ${}^{22}\text{Ne}$ fragmentation (added by the solid line) and 15 GeV/nucleon ${}^{28}\text{Si}$ (added by the dashed line). Dots mark $N_{2\alpha p}({}^{8}\text{Be})$ distribution in coherent dissociation ${}^{10}\text{C} \rightarrow 2\alpha 2p$ (normalized to ${}^{16}\text{O}$, ${}^{22}\text{Ne}$ and ${}^{28}\text{Si}$ statistics).

Statistics of events $N_{n\alpha}$ (HS) among events $N_{n\alpha}$ in dissociation of ²²Ne nuclei and ²⁸Si; the percentage of $N_{n\alpha}$ (⁸Be) among $N_{n\alpha}$ is indicated.

nα	²² Ne	²² Ne	²⁸ Si	²⁸ Si	
	$N_{n\alpha}(\text{HS})/N_{n\alpha}~(\%~N_{n\alpha})$	N(HS)/N _{nα} (⁸ Be), %	$N_{n\alpha}(\text{HS})/N_{n\alpha}$ (% $N_{n\alpha}$)	$N({ m HS})/N_{nlpha}({ m ^8Be}),~\%$	
3	$3/243~(1.2\pm0.6)$	7 ± 4	$4/320~(1.2~\pm~0.6)$	$4/47 (9 \pm 5)$	
4	$10/80~(13~\pm~5)$	40 ± 15	$7/168~(4\pm2)$	7/55 (13 ± 5)	
5	1/10	17	$7/62 (11 \pm 5)$	$7/24~(29~\pm~12)$	
6	-	-	1/7 (14)	1/5 (20)	
				- ۲ - ۲- 	

Fig. 5. Distribution of 3α -triplets $N_{(3\alpha)}({}^{8}\text{Be})$ over invariant mass in 3.22 GeV/nucleon ${}^{22}\text{Ne}$ fragmentation (solid line) and ${}^{28}\text{Si}$ at 14.6 GeV/nucleon (dashed line). Dots mark distribution $N_{(3\alpha)}({}^{8}\text{Be})$ in dissociation ${}^{12}\text{C} \rightarrow 3\alpha$ normalized to ${}^{22}\text{Ne}$ and ${}^{28}\text{Si}$ statistics.

0.2 0.4 0.6 0.8

1.2 1.4

1

1.8

 $Q_{3\alpha}$, MeV

1.6

Statistics of events containing at least one ⁸Be, ⁹B or HS decay, or at least two ⁸Be provided $Q_{2\alpha}$ (⁸Be) ≤ 0.4 MeV among the events $N_{n\alpha}$ of ¹⁹⁷Au fragmentation with multiplicity n_{α} ; the total statistics of the channels $n_{\alpha} \geq 11$ is given in italics.

nα	N _{nα} (⁸ Be)/N _{nα} (% N _{nα})	N _{nα} (⁹ B) (% N _{nα} (⁸ Be))	N _{nα} (HS) (% N _{nα} (⁸ Be))	N _{nα} (2 ⁸ Be) (% N _{nα} (⁸ Be))
2	$3/133(2 \pm 1)$	-	-	-
3	$14/162 (9 \pm 3)$	1 (7)	-	-
4	25/161 (16 ± 4)	7 (28 ± 12)	$2(8 \pm 6)$	-
5	23/135 (17 ± 4)	$5(22 \pm 11)$	-	1 (4)
6	31/101 (31 ± 7)	9 (29 ± 11)	$2(6 \pm 4)$	-
7	31/90 (34 ± 7)	$6(19 \pm 9)$	$2(6 \pm 4)$	$3(10 \pm 6)$
8	32/71 (45 ± 10)	8 (25 ± 10)	$2(6 \pm 4)$	$2(7 \pm 5)$
9	29/54 (54 ± 13)	9 (31 ± 12)	$3(10 \pm 6)$	5 (17 ± 8)
10	22/39 (56 ± 15)	4 (18 ± 10)	-	5 (23 ± 12)
11	10/15 (67 ± 27)	3 (30 ± 20)	1 (10)	$2(20 \pm 16)$
	19/30 (63 ± 19)	7 (37 ± 16)	$2(11 \pm 8)$	6 (32 ± 15)
12	2/5	1	-	1
13	2/4	1	-	1
14	3/3	1	-	1
15	1/1	-	-	-
16	1/2	1	1	1



Target Fragments: 3 Mesons: 5 Progectile Fragment Charge > 23 (He - 7, H - 9)

⁸⁴Kr fragmentation near 1 GeV per nucleon

Table 1. Statistics $N_{n\alpha}$ of $n\alpha > 3$ stars (statistics of the data sample from [14] is given in parentheses)

$n\alpha$	4	5	6	7	8	9-13
$N_{n\alpha}$	40(69)	50(54)	21(27)	10(19)	15(12)	7(3)
$N_{nlpha}/N_{ m ev},\%$	(7.9 ± 1.0)	(6.2 ± 0.9)	(3.1 ± 0.6)	(2.2 ± 0.5)	(1.4 ± 0.4)	(0.4 ± 0.2)
$N_{n\alpha}(\geqslant 1^8 \text{Be})$	5(15)	16(10)	12(13)	4(10)	11(8)	4(3)
$N_{n\alpha}(\geqslant 1^8 \text{Be})/N_{n\alpha}, \%$	19 ± 5	25 ± 6	52 ± 13	48 ± 16	70 ± 21	70 ± 35
$N_{n\alpha}(2^8\text{Be})$	0	2	2	1	5	2
$N_{n\alpha}(HS)$	1	2	1	1	2	2



 n_{α}

Projectile neutrons in ⁸⁴Kr fragmentation near 1 GeV per nucleon



Projectile neutrons in ⁸⁴Kr fragmentation near 1 GeV per nucleon





Nuclotron December 2022 ¹²⁴Xe 3.8 GeV per nucleon







6. Summary

The preserved and recently supplemented data on the relativistic fragmentation of ¹⁶O, ²²Ne, ²⁸Si, and ¹⁹⁷Au nuclei in a nuclear track emulsion helped us to identify decays of ⁸Be, ⁹B nuclei and Hoyle state in the invariant mass distributions of 2α -pairs, $2\alpha p$ and 3α -triplets. The determination of the invariant mass from the fragment emission angles in the velocity conservation approximation turns out to be an adequate approximation. Starting with the ¹⁶O fragmentation, the presented analysis has indicated a relative enhancement in the ⁸Be contribution while increasing in the number of relativistic α -particles per event and remaining proportional contributions of HS and ⁹B. In the ¹⁹⁷Au fragmentation, the tendency is traced up to at least 10 relativistic α -particles per event. This observation has assumed the development of the theory of relativistic nucleus fragmentation taking into account the α -particle interactions, that is characteristic for low-energy nuclear physics.

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Fragmentation of relativistic oxygen nuclei in interactions with a proton

V.V. Glagolev^{1,2}, K.G. Gulamov¹, V.D. Lipin¹, S.L. Lutpullaev¹, K. Olimov^{1,a}, Kh.K. Olimov¹, A.A. Yuldashev¹, and B.S. Yuldashev^{1,3}

¹ Physical-technical institute of SPA "Physics-Sun" of Uzbek Academy of Sciences G. Mavlyanova str., 2^B, Tashkent, 700084, Uzbekistan

² Joint Institute for Nuclear Research, Dubna, Moscow region, 141980, Russia

³ Institute of Nuclear Physics, Uzbek Academy of Sciences pos. Ulughbek, Tashkent, 702132, Republic of Uzbekistan

A 1-meter liquid hydrogen bubble chamber of JINR placed in a magnetic provided measured 11000 interactions of ¹⁶O nuclei at $P_0 = 3.25$ GeV/*c* per nucleon with protons. To determine the charges of fragments, the equality to 9 of the sum of the charges is sufficient. Due to the approximate quantization $P_{\rm fr}$, their mass numbers are determined by the ratios $P_{\rm fr}/P_0$.



 $N_{n\alpha}(\text{HS})$

 $36(18 \pm 3)$

 $11 (41 \pm 15)$

Table 1. Statistics of ${}^{16}\text{O} + p$ events in VPK-100 containing at least one ⁸Be decay candidate $N_{n\alpha}$ (⁸Be), ⁹B, or HS provided $Q_{2\alpha}(^{8}\text{Be}) \leq 0.2 \text{ MeV}$ among $N_{n\alpha}$ events of fragmentation of ¹⁶O nuclei on protons with multiplicity n_{α}

 $N_{n\alpha}(^{8}\text{Be})/N_{n\alpha}$

 $(\% N_{n\alpha})$

 $111/981 (11 \pm 1)$

 $203/522(39 \pm 3)$

 $27/56(48 \pm 11)$

 n_{α}

2

3

4

 $N_{n\alpha}(^{9}\text{B})$

 $(\% N_{n\alpha}(^{8}\text{Be}))$

 $29(26 \pm 6)$

 $31(15 \pm 3)$



The Hoyle state is the second excited state of ¹²C at 378 keV above the 3α threshold. The ⁸Be nucleus inevitably appears among products of ⁹B and Hoyle state decays.



An isolated position of the Hoyle state. at the beginning of the ¹²C excitation spectrum and its width 9.3 eV render ita 3a analog of ⁸Be. The synthesis of ¹²C in the red-giant medium is possible via the fusion reaction $3a \rightarrow a^8Be \rightarrow 12C(0^+_2) \rightarrow ^{12}C$ (+2 γ or e⁺e⁻ with a probability of about 10⁻⁴). A further synthesis via the fusion reaction $a^{12}C \rightarrow ^{16}O\gamma$ through a ¹⁶O level at an appropriate energy is forbidden in parity. This is the circumstance that determines the relative abundances of ¹²C and ¹⁶O, as well as the survival of ¹²C under the astrophysical conditions of helium burning. However, the synthesis of ¹⁶O is possible through the sequence ¹²C¹²C $\rightarrow ^{12}C^{12}C(0^+_2) \rightarrow ^{16}O^8Be$.